

Palgol: 頂点主体並列グラフ処理のための

Palgol: a high-level domain-specific language
for vertex-centric graph processing

領域特化言語

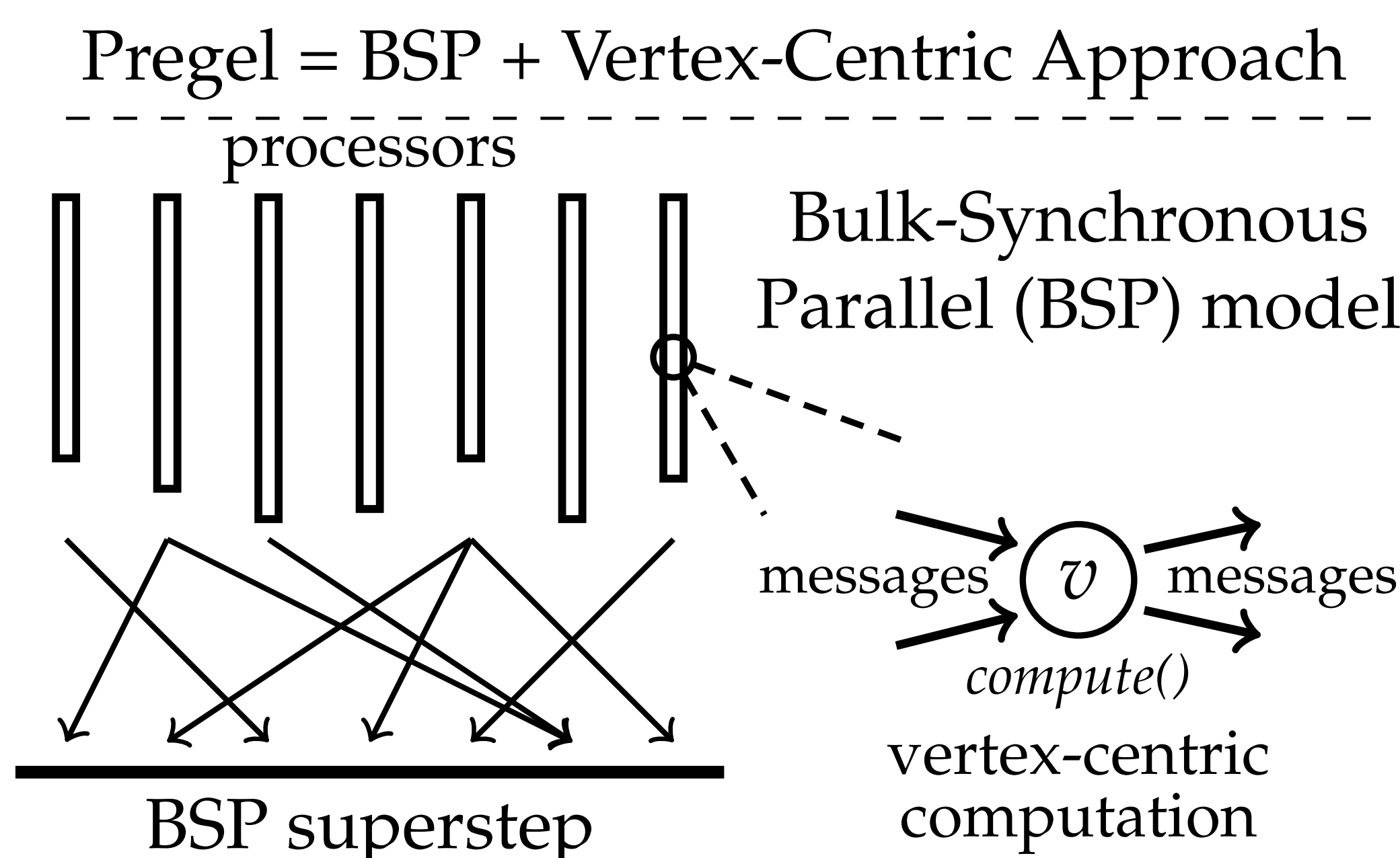
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頂点主体並列グラフ処理とは?

Graph algorithms are represented as the iterative execution of the same piece of code on every vertex.

代表的なソフトウェア

Pregel: A synchronous vertex-centric graph processing framework.



メリット

- high scalability
- universality

デメリット

- message-passing is hard
- vertices have to maintain complicated states

解決方法

領域特化言語: メッセージ無しで頂点主体並列プログラムを構成することができるように

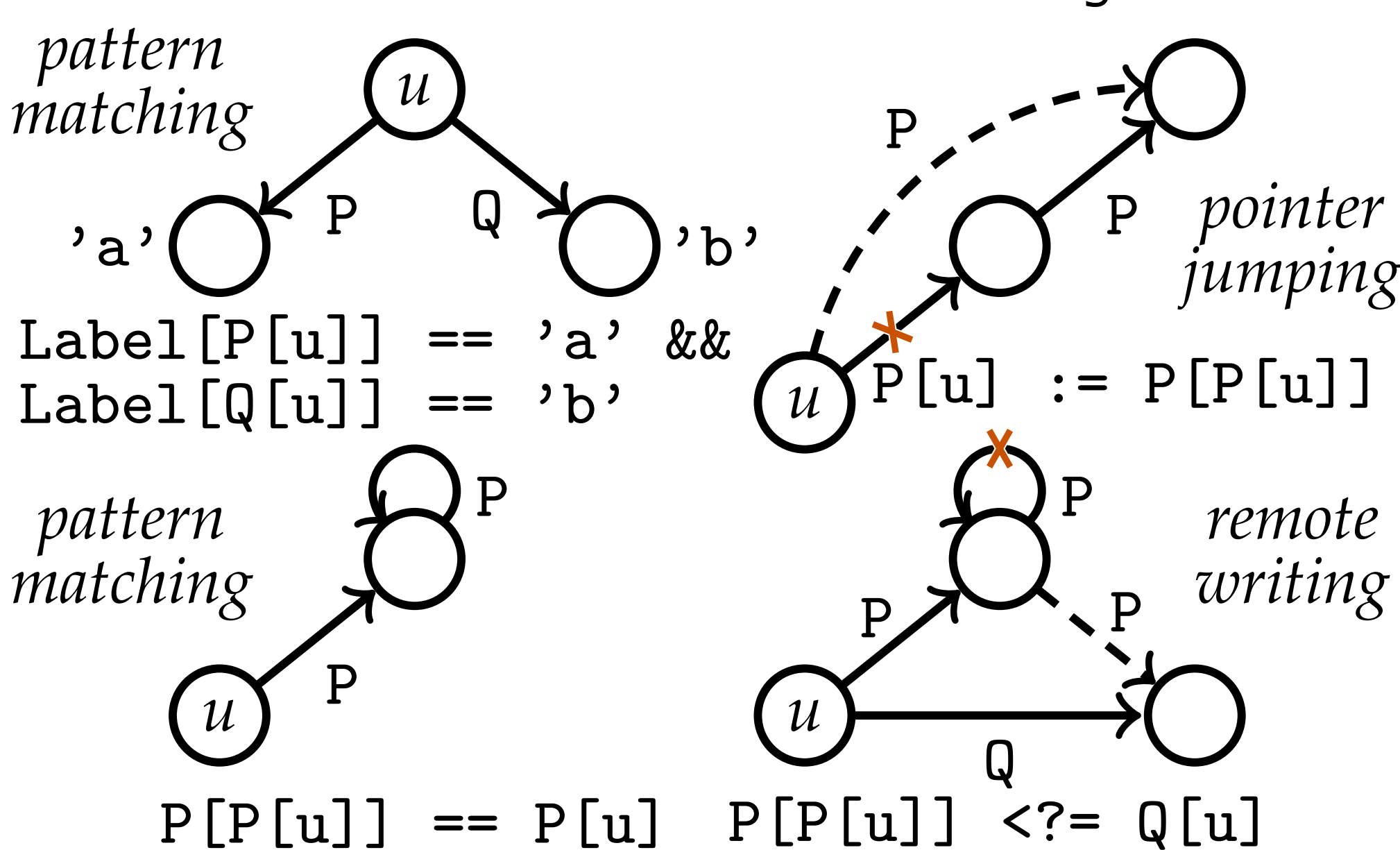
Palgol: a domain-specific language with **remote access** capabilities

- Chain access (new feature)
- Remote writes (enhanced feature)
- Neighborhood aggregation

```
let t = [ P[e.ref] | e <- Nbr[u] ]
```

Extending Green-Marl and Fregel's declarative programming models

Strength of Palgol



easy to capture a vertex's neighborhood

Example: pointer-jumping

```
// P[u]: store u's parent id
do
  // enter vertex-centric mode
  for u in V
    // P[P[u]] -> chain access
    if (P[P[u]] != P[u])
      P[u] := P[P[u]]
  end
until fix[P] // fixed-point
Palgol = iteration construct
+ vertex-centric model
+ remote access
```

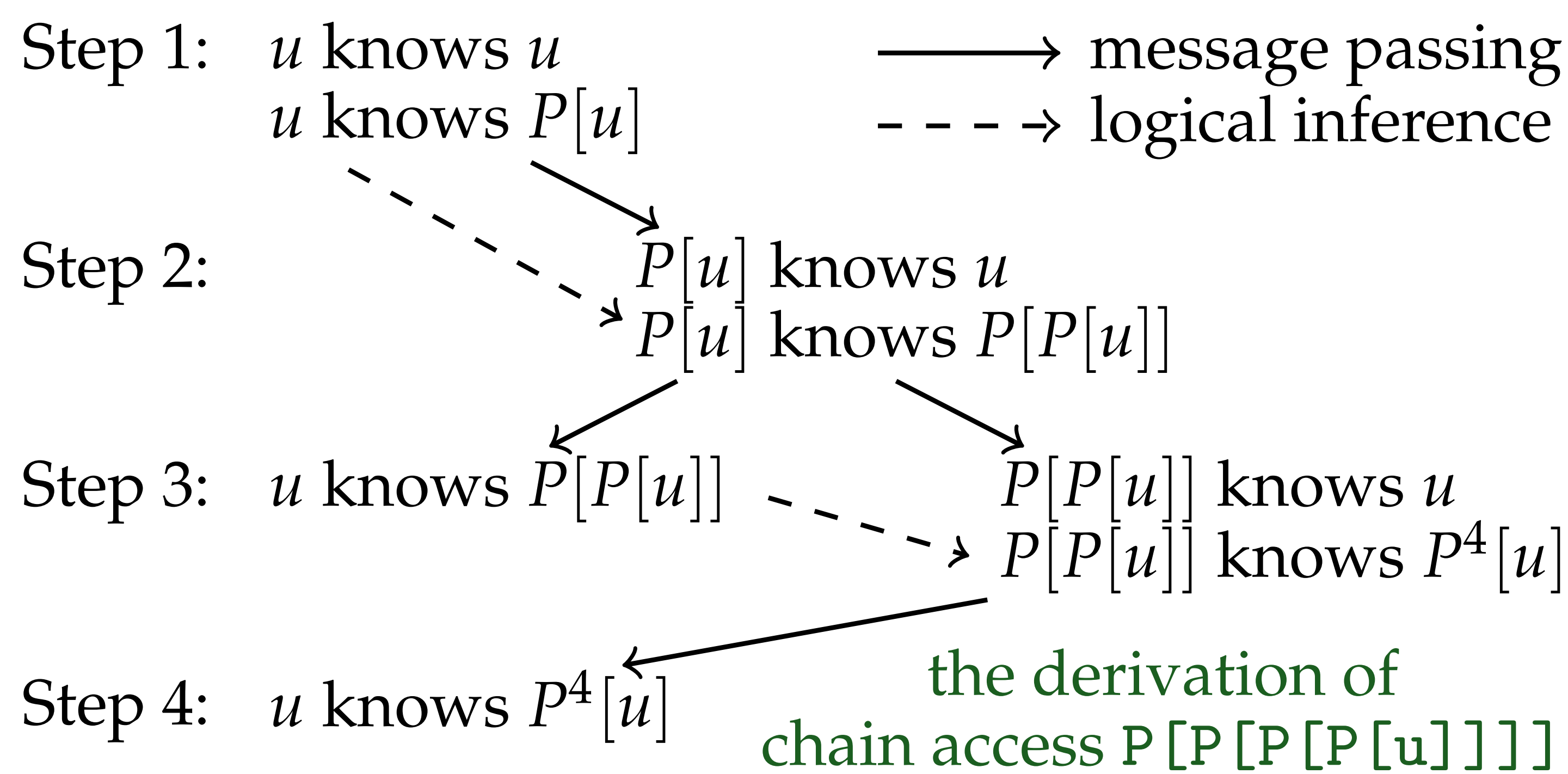
研究内容

Palgolで構成したプログラムをPregelへ変換する

Key technique: compiling general chain access

Logic system for handling $P[P[P[P[u]]]]$:

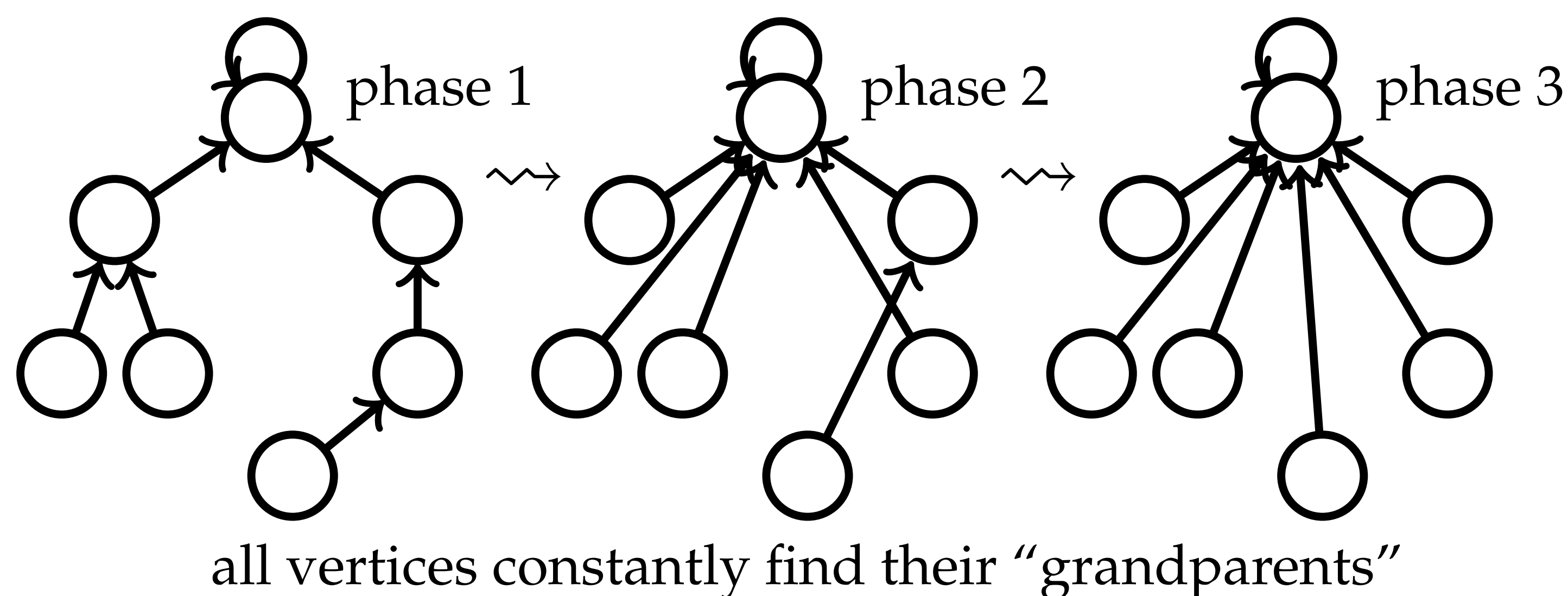
- $\forall u. K_u u$ every vertex u knows its own identifier u
- $\forall u. K_u P[u]$ every vertex u knows its local field $P[u]$
- $(\forall u. K_{w(u)} e(u)) \wedge (\forall u. K_{w(u)} v(u)) \Rightarrow \forall u. K_{v(u)} e(u)$
we can make every $v(u)$ know $e(u)$ by letting every $w(u)$ send $e(u)$ to $v(u)$



A backtracking algorithm with memoization for finding a solution with minimum number of steps

Application: the pointer-jumping technique (a useful graph transformation used in S-V, MSF and so on)

Given a forest where each vertex initially knows its parent, how to let every vertex point to its root?



Performance Evaluation

We compare Palgol with hand-coded Pregel programs on real-world graphs

- Minimum spanning forest (MSF)
- Strongly connected component (SCC)
- S-V connected component algorithm (S-V)

SCC	S-V	MSF
-0.66% - 1.58%	-2.53% - 6.37%	-4.17% - 6.42%